

### 0 • Exam Blueprint READ FIRST

★ Final exam = 50% of the subject mark, 2 hours, and a HURDLE — you must score ≥ 50% on the exam itself to pass the subject, no matter your assignment marks.

This is the **whole subject on two pages**, with the real worked numbers. The prize isn't recall — it's recognising *which model and which formula* instantly, so revise by re-deriving each diagram until it's reflex. Format: roughly half MCQ (one-correct / "which is wrong" / select-all-areas), half **structured calc + graph**, multi-part (a)-(e) with mark splits.

**SIA** → Graph + definition marks are the easiest in the paper and cannot be lost to clock pressure. **Draw the diagram first, words second.** Markers scan diagrams for full marks before reading prose.

### 1 • Foundations W2

Scarcity = wants > resources → choice. **Cost-benefit** act iff MB ≥ MC; think at the margin. **Opp cost** = value of next-best forgone alternative. **Sunk cost** = already spent & unrecoverable → opp cost 0 → ignore.

**Fixed & sunk:** fixed cost is avoidable by stopping production (positive opp cost, *matters*); sunk cannot be recovered (irrelevant). R&D = fixed + sunk; marketing = fixed not sunk.

### 4 THINKING PITFALLS

- Absolute \$ vs %
- Ignoring opp cost (esp. time)
- Sunk-cost fallacy**
- Failing to think at the margin

### POSITIVE VS NORMATIVE

**Positive** = descriptive, testable. **Normative** = prescriptive, value-laden.

### PPF

Max output combos given resources & tech. Slope = -MRT = opp cost in y-units. **Bowed-out** ⇒ increasing opp cost; **linear** ⇒ constant. Inside = inefficient - on = efficient - outside = unattainable. Growth/tech shifts PPF out.

### READ SLOPE AS OPP COST

give up 20 Y to gain 10 X  
⇒ opp cost of 1 X = 2 Y

### ECONOMIC VS ACCOUNTING COST

**Economic cost** = accounting cost + opportunity cost of resources used. Economic profit nets out opp cost; **zero economic profit** = a normal return (the resource just covers its best alternative use). Exam loves the gap between the two.

### SHORT RUN VS LONG RUN

**SR** = at least one input fixed (not a fixed length of time). **LR** = all inputs variable, free entry/exit. Definitions, not calendar time.

### QUICK DEFINITIONS

**Marginal** = one-more-unit. **Average** = per-unit. **Ceteris paribus** = all else equal. **Endogenous** = set in the model. **Exogenous** = given. **Stock** = level at a point. **Flow** = per period. **Real** = inflation-adjusted. **Nominal** = current \$.

### MARGINAL DECISION - WORKED

**ACT WHILE MB ≥ MC**  
study hr: MB=\$8 > MC=\$5 ⇒ do it  
next hr: MB=\$4 < MC=\$5 ⇒ stop  
optimum where MB = MC

Decisions are made at the **margin**, never on totals or averages — the classic "should I do one more?" test.

### 2 • Comparative Advantage RICARDO 1817

Specialise in the good with **lower opp cost**, then trade ⇒ both consume **beyond their PPF**. Driven by comparative, *not* absolute, advantage.

### WORKED - AUSTRALIA VS NZ

Output per worker-hour:

|     | WHEAT | CLOTH | OC 1 WHEAT | OC 1 CLOTH |
|-----|-------|-------|------------|------------|
| Aus | 6     | 3     | ½ cloth    | 2 wheat    |
| NZ  | 1     | 2     | 2 cloth    | ½ wheat    |

Aus has **absolute advantage** in both (6>1, 3>2). But OC(wheat): Aus ½ < NZ 2 ⇒ Aus ⇒ wheat. OC(cloth): NZ ½ < Aus 2 ⇒ NZ ⇒ cloth.

Gains live *between* the two opp costs: trade ratio between ½ and 2 wheat per cloth (e.g. 1:1) ⇒ both consume beyond their PPF.

**SIA** → Compute opp cost per unit (cloth = wheat), never compare raw outputs. The examiner plants the absolute-advantage figure precisely so you pick the wrong specialiser.

### 3 • Demand & Supply W3

**Law of demand** P↑ ⇒ Q<sub>d</sub>↓ (sub + income effects). **Law of supply** P↑ ⇒ Q<sub>s</sub>↑ (rising MC).

### DEMAND SHIFTERS • 6

- Income:** normal D↑ / inferior D↓
- Related P:** subs (P<sub>c</sub>↑ ⇒ D↑) · compl. (P<sub>c</sub>↑ ⇒ D↓)
- Tastes · preferences
- Expected P (P<sup>e</sup>↑ ⇒ D<sub>now</sub>↑)
- # buyers · demographics
- Information / publicity signals

### SUPPLY SHIFTERS • 6

- Input prices · Technology** (S ⇒ right)
- Taxes (S left) / subsidies (S right)
- # sellers · entry/exit
- Expected P (P<sup>e</sup>↑ ⇒ S<sub>now</sub>↑)
- Natural events · regulation

### EQUILIBRIUM & COMPARATIVE STATICS

P\*, Q\* solve Q<sub>d</sub>(P) = Q<sub>s</sub>(P). P < P\* ⇒ shortage (P bid up); P > P\* ⇒ surplus (P falls).

| SHOCK   | P*    | Q*    |
|---------|-------|-------|
| D↑ / D↓ | ↑ / ↓ | ↑ / ↓ |
| S↑ / S↓ | ↓ / ↑ | ↑ / ↓ |
| D↑ S↑   | ?     | ↑     |
| D↑ S↓   | ?     | ?     |
| D↓ S↓   | ?     | ↓     |

**SIA** → A **shift ≠ movement along**. If P caused it ⇒ movement along; any other determinant ⇒ shift the curve. *The #1 exam trap.*

### WORKED • EQUILIBRIUM FROM EQUATIONS

Q<sub>s</sub> = 2P - Q<sub>d</sub> = 100 - 2P  
P = 100 - 2P ⇒ 4P = 100  
P\* = 25, Q\* = 50  
Always set Q<sub>d</sub> = Q<sub>s</sub>, solve for P\*, back-substitute for Q\*. The linear-equation setup is the spine of nearly every calc question.

### SUBSTITUTES VS COMPLEMENTS

**Substitutes:** P of one ↑ ⇒ D for the other ↑ (Coke/Pepsi). **Complements:** P of one ↑ ⇒ D for the other ↓ (cars/petrol). Test via the sign of cross-price elasticity (col 3).

### HOW A SHORTAGE CLEARS

- P < P\* ⇒ Q<sub>d</sub> > Q<sub>s</sub> (shortage)

### 4 • Elasticity W4

**PED · MIDPOINT (ARC)**  
PED = %ΔQ<sub>d</sub> / %ΔP  
%Δ = (X<sub>2</sub> - X<sub>1</sub>) ÷ ((X<sub>1</sub> + X<sub>2</sub>) / 2)  
point: PED = (dQ/dP) · (P/Q)

| PED | TYPE            | P↑ ⇒ TR |
|-----|-----------------|---------|
| >1  | Elastic         | ↓       |
| =1  | Unit            | max     |
| <1  | Inelastic       | ↑       |
| =0  | Perf. inelastic | Q same  |
| =∞  | Perf. elastic   | Q=0     |

### WORKED • AFL TICKETS

Q<sub>d</sub> = 200,000 - 10,000P.

- P=\$10 ⇒ Q=100k ⇒ PED ≈ -1 (unit) ⇒ **TR-maximising**; any price move cuts TR.
- P=\$15 ⇒ Q=50k ⇒ PED ≈ -3 (elastic) ⇒ raising P cuts TR.

### DETERMINANTS • 5

- Substitutes availability
- Time** (LR > SR)
- Necessity vs luxury · share of income
- Definition breadth (Coke < soft drink < beverage)

### YED

%ΔQ/%ΔY > 1 luxury · 0-1 nec · <0 inferior

### XED

%ΔQ<sub>A</sub>/%ΔP<sub>B</sub> > 0 sub · <0 compl · =0 unrelated

### PES

%ΔQ<sub>s</sub>/%ΔP = input mobility, time, spare capacity

**SIA** → Use the **midpoint method** unless told "at this point". **Sign matters: a negative XED = complements; an income elasticity < 0 = inferior good.**

### ELASTICITY ALONG A LINEAR D

On a straight-line demand curve PED varies: **elastic at the top** (high P, low Q), **unit-elastic at the midpoint**, **inelastic at the bottom**. So slope ≠ elasticity. TR peaks exactly at the unit-elastic midpoint.

### CROSS-PRICE MATRIX · READING IT

Own-price (diagonal): |E| > 1 elastic, < 1 inelastic. Off-diagonal: XED > 0 = substitutes, XED < 0 = complements. E.g. cats [-3] elastic; kittens [-0.8] & dogs [-0.5] inelastic.

### TOTAL-REVENUE RULE

| DEMAND    | P↑     | P↓     |
|-----------|--------|--------|
| Elastic   | TR↓    | TR↑    |
| Unit      | TR max | TR max |
| Inelastic | TR↑    | TR↓    |

To raise revenue: cut price if elastic, raise price if inelastic.

### APPLICATIONS

**Bumper-harvest paradox:** D inelastic ⇒ a big harvest (S ⇒ right) drops P a lot, Q little ⇒ **farm revenue falls**. **Tax design:** tax inelastic goods (tobacco, fuel) ⇒ revenue with small DWL. **Time:** petrol inelastic SR, elastic LR (substitutes appear).

**The hinge to policy:** the **less-elastic side bears more** of a tax (col 5); DWL is larger when both curves are elastic. Elasticity links the demand model to every welfare result.

### 5 • Consumer Choice W4

**Utility** U(x,y) ranks bundles. MU<sub>x</sub> = ∂U/∂x. **Diminishing MU:** each extra unit adds less.

### (INDIFFERENCE CURVES

- Same-U combos; downward sloping
- MRS<sub>xy</sub>** = -slope = MU<sub>x</sub>/MU<sub>y</sub>
- Convex ⇒ diminishing MRS - ICs **never cross**

### BUDGET LINE

P<sub>x</sub>X + P<sub>y</sub>Y = I · slope = -P<sub>x</sub>/P<sub>y</sub>

### OPTIMUM (TANGENCY)

MRS<sub>xy</sub> = P<sub>x</sub>/P<sub>y</sub>  
⇒ MU<sub>x</sub>/P<sub>x</sub> = MU<sub>y</sub>/P<sub>y</sub>

"Equal bang per buck" across all goods at the optimum.

### INCOME & SUBSTITUTION EFFECTS

P<sub>x</sub>↓: (i) **sub effect** — x cheaper rel. y, buy more x; (ii) **income effect** — real income ↑.

- Normal:** both ↑ ⇒ D<sub>x</sub>↑
- Inferior:** sub ↑, income ↓
- Giffen:** inferior + income dominates ⇒ D upward-sloping

### 6 • Welfare & Surplus W4

CS = area under D, above P. PS = area above S, below P. TS = CS + PS + GovRev.

### LINEAR D&S SURPLUS

CS = ½ · Q\* · (P<sub>max</sub> - P\*)  
PS = ½ · Q\* · (P\* - P<sub>min</sub>)

### WORKED · P\* = 18, Q\* = 36

Linear D & S meeting at P\* = 18, Q\* = 36 with D-intercept 36 & S-intercept 0:

CS = ½ · 36 · (36 - 18) = 324  
PS = ½ · 36 · (18 - 0) = 324  
TS = 648

Efficiency ≠ equity. Competitive eq. is Pareto-efficient but may be inequitable.

### 1ST WELFARE THEOREM

Competitive eq. maximises TS. Any wedge between buyer WTP and seller MC ⇒ **DWL = triangle of trades not made**.

### SURPLUS FROM A SCHEDULE

CS = Σ (marginal value - P) over units bought; PS = Σ (P - marginal cost) over units sold. Worked: at P=\$4 a buyer values units at \$7, \$5 ⇒ CS = 3+1 = \$4; a seller's costs are \$1, \$3 ⇒ PS = 3+1 = \$4.

### DWL SOURCES • 5

- Per-unit tax · binding ceiling/floor
- Quota · tariff
- Monopoly / market power (P > MC)
- Externalities (private ≠ social)
- Under-provision of public goods

Every DWL is a **triangle of mutually-beneficial trades that don't happen** — width = ΔQ, height = the wedge.

### WORKED · SURPLUS AFTER A DEMAND FALL

From P\* = 18, Q\* = 36 (CS = PS = 324)  
demand falls 12 units ⇒ P<sub>x</sub> = 15, Q\* = 30  
CS = PS = 225 · TS = 450

Fewer trades = surplus shrinks on both sides; the drop in TS is the gains-from-trade no longer realised.

**Demand = marginal benefit; supply = marginal cost.** The height gap D-S on each unit is its surplus; sum to Q\*. Beyond Q\*, MC > MB ⇒ extra trades *destroy* value — the source of every DWL.

### 7 • The Signature Chain ★ EXAM FAVOURITE

★ The single most-repeated exam problem: solve eq. → elasticities → CS/PS → tax → DWL.

### GIVEN

- Q<sub>0</sub> = 100 - 5P · Q<sub>s</sub> = 5P
- Eq: 100 - 5P = 5P ⇒ P\* = 10, Q\* = 50
- Elasticity:** E<sub>d</sub> = (-5)/(10/50) = -1 · E<sub>s</sub> = (5)/(10/50) = 1
- Surplus:** D-intercept P=20 ⇒ CS = (20-10)·50/2 = 250; PS = 10·50/2 = 250
- Tax t=\$2/unit:** 100 - 5(P+2) = 5P ⇒ seller gets P<sub>s</sub> = 9, buyer pays P<sub>b</sub> = 11, Q = 45
- Gov rev** = 2·45 = 90
- DWL** = ½·t·ΔQ = ½·2·(50-45) = 5

### TAX DWL

DWL = ½·t·(Q\* - Q<sub>t</sub>) · grows α t<sup>2</sup>

**SIA** → DWL uses the **change in Q**, not the change in price. **Drive ΔQ off the after-tax quantity, then ½·base·height.**

### 8 • Govt Intervention W5

#### PER-UNIT TAX · T

Tax on sellers ⇒ S up by t; on buyers ⇒ D down by t. **Outcome identical** — incidence is independent of the statutory side.

#### INCIDENCE SHARE

buyer = PES / (PES + |PED|)  
seller = |PED| / (PES + |PED|)

★ **Burden falls on the less-elastic side.** Perfectly inelastic D ⇒ buyers bear all of t.

#### SUBSIDY · S

Mirror of tax: lowers P<sub>b</sub>, raises P<sub>s</sub>, raises Q. The **more-elastic side captures more** of the subsidy. Creates DWL via over-production — unless correcting a positive externality.

#### PRICE CONTROLS

- Ceiling** < P\* ⇒ **shortage**, queues, black market, quality erosion
- Floor** > P\* ⇒ **surplus** (min wage ⇒ unemployment)
- Binding only if ceiling < P\* or floor > P\*

#### WORKED · SUBSIDY INCIDENCE

Q<sub>d</sub> = 700 - 100P, Q<sub>s</sub> = 400 + 50P ⇒ P\* = 2,  
Q\* = 500  
\$1 subsidy to producers ⇒ buyer price \$1.67  
buyer share = 2 - 1.67 = \$0.33 (⅓)  
gov cost = \$1 × 533 = \$533

Demand here is more elastic (ε<sub>d</sub> = 0.4 > ε<sub>s</sub> = 0.2) so **buyers capture more** of the subsidy.

#### GOVT TOOLS · CLASSIFY

| TOOL    | EFFECT     | DWL? |
|---------|------------|------|
| Tax     | Q↓, wedge  | Yes  |
| Subsidy | Q↑ past Q* | Yes* |
| Ceiling | Shortage   | Yes  |
| Floor   | Surplus    | Yes  |

\*unless correcting an externality.

#### WORKED · BINDING PRICE FLOOR

Q<sub>d</sub> = 700 - 100P, Q<sub>s</sub> = 400 + 50P ⇒ P\* = 2,  
Q\* = 500  
floor at \$3 ⇒ Q<sub>d</sub> = 400, Q<sub>s</sub> = 550 ⇒ **surplus 150**

A floor binds only *above* P\*; a ceiling only *below*. Quantity traded = the **short side** of the market.

### 9 • Quota · Tariff · Trade W6

**Quota** Q < Q\*: raises P, transfers surplus to quota holders, DWL, no gov revenue.

**Small open economy:** face world price P<sub>w</sub>. P<sub>w</sub> < P<sub>aut</sub> ⇒ import; P<sub>w</sub> > P<sub>aut</sub> ⇒ export. Trade ⇒ TS rises, distribution shifts.

**Tariff** τ on imports: P<sub>d</sub> = P<sub>w</sub> + τ ⇒ CS<sub>v</sub>, PS<sub>t</sub>, gov rev τ, **net DWL = production Δ + consumption Δ**.

**Tariff vs production subsidy** (raise domestic Q by the same amount): tariff DWL = **B+E** (distorts production and consumption); subsidy DWL = **B** only ⇒ subsidy is the more efficient tool.

#### WORKED · SMALL OPEN ECONOMY

Q<sub>0</sub> = 12 - 3P, Q<sub>s</sub> = P  
P<sub>w</sub> = 1 ⇒ Q<sub>s</sub> = 1, Q<sub>d</sub> = 9 ⇒ **import 8**, CS = 13.5  
P<sub>w</sub> = 4 ⇒ Q<sub>s</sub> = 4, Q<sub>d</sub> = 0 ⇒ **export 4**, CS = 0

Higher world price helps domestic producers, prices out domestic consumers.

### 10 • Worked · Min Wage W4-5

L<sub>0</sub> = 2000 - 50W, L<sub>s</sub> = 1000 + 50W.

- Free eq: **W\* = 10, L\* = 1500**
  - Min wage \$15 ⇒ L<sub>0</sub> = 1250, L<sub>s</sub> = 1750 ⇒ **employment = 1250** (500 unemployed)
  - Own-wage E<sub>d</sub> at W=15: (-50)/(15/1250) = -0.6
  - Workers +\$5625 · employers -\$6875 · **DWL = -\$1250**
- Employment fall is larger when labour demand is **elastic**.

### 11 • Costs & Production W8

**IDENTITIES**  
TC = FC + VC · ATC = TC/Q · AVC = VC/Q  
AFC = FC/Q (→ 0) · MC = dTC/dQ = dVC/dQ

- ★ **MC cuts AC & ATC at their minima** (MC < AC pulls AC down; MC < AVC pulls up)
- ATC = AVC + AFC ⇒ converge as Q↑ · U-shaped from diminishing MP

MP<sub>L</sub> = ΔQ/ΔL · **MP cuts AP at AP max**. Diminishing MP (SR, K fixed). **Returns to scale** (LR, scale all inputs): IRS ⇒ AC ↓ · CRS ⇒ AC flat · DRS ⇒ AC ↑. **RTS (LR) ≠ diminishing MP (SR).**

#### WORKED · CUBIC TC

TC = 10 + 5Q - Q<sup>2</sup> + 0.2Q<sup>3</sup> ⇒ MC = 5 - 2Q + 0.6Q<sup>2</sup>  
min AVC at Q = 2.5 ⇒ AVC = 3.75

### 12 • Side 1 Take-aways

- Spot **which model + formula** instantly
- Shifts ≠ movements along
- Opp cost per unit; rank by it, not raw output
- Tax/DWL uses AC; burden on less-elastic side
- MC cuts ATC at min; P = MC ⇒ allocative efficiency

### 13 · Profit Max & Shutdown W9

**UNIVERSAL RULE**  
Choose Q where MR = MC  
 $\pi = TR - TC = (P - ATC) \cdot Q$

| CONDITION          | DECISION              |
|--------------------|-----------------------|
| $P \geq ATC$       | Operate, $\pi \geq 0$ |
| $AVC \leq P < ATC$ | SR operate, loss      |
| $P < AVC$          | <b>SR shutdown</b>    |
| $P < ATC$ (LR)     | <b>Exit</b>           |

**Shutdown vs exit:** SR shutdown still pays FC (reversible); LR exit permanent ( $\pi=0$  at  $Q=0$ ). Worked:  $ATC=12$ ,  $MC=10$ ,  $AVC=9$ ,  $P=10 \Rightarrow P=MC$  and  $P>AVC \Rightarrow$  **keep producing** (loss  $\$2 \times Q$  is less than shutting).

### 14 · Perfect Competition W9

#### 4 ASSUMPTIONS $\Rightarrow$ PRICE-TAKER

- Many small buyers & sellers
  - Homogeneous product
  - Free entry & exit
  - Perfect information
- $D = MR = AR = P$  (horizontal). SR: firm  $Q^*$  where  $P = MC$  (rising arm); SR supply = MC above min AVC;  $\pi$  can be  $\pm$ , 0, -.

#### LONG-RUN EQUILIBRIUM (LRCE)

- ★ Entry/exit drives  $\pi \rightarrow 0$  (normal return)
- ★  $P = MC = \text{min ATC}$
- Each firm at efficient scale; productively & allocatively efficient

#### WORKED · # FIRMS

Mkt D:  $Q = 1000 - P$  · LR  $P = \text{min ATC} = \$5$   
each firm  $q = 5 \Rightarrow Q = 995 \Rightarrow N = 995/5 = 199$  firms

**LR industry supply:** constant-cost  $\Rightarrow$  flat; increasing-cost (input  $P \uparrow$ )  $\Rightarrow$  upward; decreasing-cost  $\Rightarrow$  downward (rare).

**SIA  $\rightarrow$  A subsidy to a fixed cost leaves MC (and SR price) unchanged  $\Rightarrow$  SR profit rises; LR entry competes it away, price falls. Don't shift MC for an FC shock.**

#### SR $\rightarrow$ LR ADJUSTMENT

- $\pi > 0 \Rightarrow$  entry  $\Rightarrow S \rightarrow$  right  $\Rightarrow P \downarrow$  to min ATC
- $\pi < 0 \Rightarrow$  exit  $\Rightarrow S \rightarrow$  left  $\Rightarrow P \uparrow$  to min ATC
- LRCE:  $P = MC = \text{min ATC}$ ,  $\pi = 0$

A cost-saving technology adopted in SR: P stays, firm count fixed  $\Rightarrow$  **profits rise**; only in LR does entry push P down to the new min ATC.

#### CHOOSING A PRODUCTION METHOD

High-FC / low-MC methods win at **high output**; low-FC / high-MC win at **low output**. Compare total cost at the relevant Q; the ATC curves cross. (Pillow makers, taxi vs Uber).

#### PC FIRM DIAGRAM CHEATS

| AT Q* (P=MC)         | OUTCOME             |
|----------------------|---------------------|
| $P > ATC$            | profit (P-ATC)·Q    |
| $P = \text{min ATC}$ | break-even (LRCE)   |
| $AVC \leq P < ATC$   | loss, keep going SR |
| $P < AVC$            | shut down           |

Shade the profit/loss rectangle between P and ATC at  $Q^*$ . SR supply = the MC curve above min AVC.

### 14b · Efficiency at a glance

**TWO EFFICIENCIES**  
Productive:  $P = \text{min ATC}$   
Allocative:  $P = MC = MSB = MSC$   
PC long run hits **both**; monopoly neither

**Invisible hand** (Smith): self-interest + the price signal push Q to where  $MSB = MSC \Rightarrow$  total surplus

### 15 · Monopoly W9-10

#### SOURCES OF POWER · 4

- Legal barriers · patents, licences
- Natural monopoly · IRS / large FC
- Exclusive resource control
- Network effects

Faces the *market D* (downward)  $\Rightarrow$  to sell more must lower P on *all units*  $\Rightarrow$  **MR < P** for  $Q > 0$ .

**LINEAR MR RULE**  
 $P = a - bQ \Rightarrow MR = a - 2bQ$   
(same intercept, twice the slope)  
Reverse  $Q^*$  where  $MR = MC$ ; charge P off the demand curve at  $Q^*$ .

#### WORKED · $P = 16 - Q$ , $TC = Q^2$

MR =  $16 - 2Q$  · MC =  $2Q$   
 $16 - 2Q = 2Q \Rightarrow Q = 4$ ,  $P = 12$   
TR =  $48$ ,  $TC = 16 \Rightarrow \pi = 32$

**LEARNER MARK-UP**  
 $(P - MC) / P = 1 / |PED|$   
 $\mu = P - MC$  · Less eLastic  $\Rightarrow$  bigger mark-up

vs competition:  $P_m > P_c$ ,  $Q_m < Q_c$ ,  $\pi_m > 0$ . Allocatively inefficient ( $P > MC$ ).

**SIA  $\rightarrow$  Read the monopoly price off the demand curve at  $Q^*$ , never off MR. MR=MC only locates the quantity; the price sits up on D directly above it.**

### 16 · Monopoly Welfare & DWL

Monopolist has no supply curve; PS = area above MC, below P. DWL = lost trades where  $WTP > MC$  over  $Q_m > Q_c$ .

#### WORKED · $P = 12 - \frac{1}{2}Q$ , $TC = Q^2$

MR =  $12 - Q$  · MC =  $2Q$   
Monopoly:  $12 - Q = 2Q \Rightarrow Q = 4$ ,  $P = 10$ ,  $\pi = 24$   
Competitive (P=MC):  $12 - \frac{1}{2}Q = 2Q \Rightarrow Q_c = 4.8$ ,  $P_c = 9.6$   
 $ACS = -1.76$  ·  $\Delta PS = +0.96$   
**DWL =  $\frac{1}{2} \cdot (4.8 - 4) \cdot (10 - 8) = 0.80$**

#### NATURAL MONOPOLY REGULATION

- $P = MC$   $\Rightarrow$  allocatively best but firm **loss** (P<ATC)
- $P = ATC$   $\Rightarrow$  break-even, small residual DWL
- Two-part tariff: fixed fee + per-unit MC

**Strong natural monopoly** (AC & MC both declining):  $P = MC$  sits below ATC  $\Rightarrow$  loss  $\Rightarrow$  infeasible. Optimal regulated price =  $P_R = ATC$  (break-even, mark-up minimised). Order on the axis:  $Q_m < Q_R < Q_c$ .

#### MR TABLE INTUITION

As the monopolist cuts P to sell one more unit, the **price effect** (lower P on all prior units) drags MR below P; MR can even go **negative** once the price effect beats the output effect – that's the inelastic region of demand, where the firm never operates.

#### WELFARE SUMMARY

- CS shrinks; part transfers to PS, part becomes DWL
- $Q_m < Q_c$  ·  $P_m > P_c$
- Mark-up  $\mu = P - MC$  measures market power
- Productively efficient only if  $Q^*$  sits at min ATC

### 16b · Structures vs the optimum

| STRUCTURE     | P VS MC  | LR $\pi$ | DWL        |
|---------------|----------|----------|------------|
| Perfect comp. | $P = MC$ | 0        | none       |
| Monop. comp.  | $P > MC$ | 0        | some       |
| Oligopoly     | $P > MC$ | $> 0$    | some-large |
| Monopoly      | $P > MC$ | $> 0$    | large      |

Mark-up ( $P - MC$ )/P rises as |PED| falls  $\Rightarrow$  more power, more DWL. **Only perfect competition is allocatively efficient** (P = MC in the long run also P = min ATC)

### 17 · Price Discrimination P160U 1920

#### 3 CONDITIONS

- Market power (P > MC)
- Identifiable segments, different PED
- Prevent resale between segments

| DEG. | MECHANISM              | CS | DWL  |
|------|------------------------|----|------|
| 1st  | Each buyer's WTP       | 0  | 0    |
| 2nd  | Quantity / block       | +  | some |
| 3rd  | Group (student/senior) | +  | some |

**1st-degree (perfect):** firm captures all surplus,  $Q = Q_{\text{comp}}$   $\Rightarrow$  no DWL but  $CS=0$ . **3rd-degree:** ( $P_i - MC$ )/ $P_i = 1/|PED_i|$   $\Rightarrow$  higher P to the less-elastic group.

### 18 · Monopolistic Competition W10

Many firms · **differentiated** product

- Free entry & exit · each has slight market power
- SR like monopoly ( $Q^*$  at  $MR = MC$ , P off D). **LR:** entry shifts each firm's D inward until *tangent to ATC*  $\Rightarrow \pi = 0$ .
- $P > MC \Rightarrow$  allocatively inefficient**
- $P >$  min ATC  $\Rightarrow$  **excess capacity**
- Trade-off: variety gained, efficiency lost

Ex: restaurants, hairdressers, clothing, cafés.

### 19 · Market Structures

| STRUCTURE    | FIRMS | P VS MC  |
|--------------|-------|----------|
| Perfect comp | Many  | $P = MC$ |
| Monop. comp  | Many  | $P > MC$ |
| Oligopoly    | Few   | $P > MC$ |
| Monopoly     | One   | $P > MC$ |

**Oligopoly** = few firms, strategic interaction, entry barriers  $\Rightarrow$  analyse with game theory (col 4). Cartels mimic monopoly Q but each member's  $MR > MC \Rightarrow$  incentive to cheat  $\Rightarrow$  unstable without enforcement (OPEC).

**Concentration:**  $CR_4$  = combined share of the top 4 firms;  $HHI = \sum s_i^2$  ( $\times 10,000$ ), higher  $\Rightarrow$  more concentrated.

#### EFFICIENCY CHECK

- Productive:** check at min ATC
  - Allocative:**  $P = MC$  ( $= MSB = MSC$ )
- Only perfect competition's LR equilibrium achieves **both**. Every form of market power has  $P > MC \Rightarrow$  allocative loss.

### 19b · Cost Curves Recap

SRATC U-shaped (diminishing MP). LRAC is the **lower envelope** of all SRATCs. LRAC  $\uparrow$  = economies of scale (EoS); flat  $\Rightarrow$  CRS;  $\uparrow$  = diseconomies. **MES** = smallest Q at min LRAC; MES large vs market  $\Rightarrow$  few firms / natural-monopoly tendency.

**WORKED · CUBIC AC**  
 $TC = 32 + Q^3 / 16 \Rightarrow ATC = 32 / Q + Q / 16$   
 $MC = Q / 8$  · MC cuts ATC at its minimum

### 19c · Spot the structure

"Identify the market structure" Qs: ask three things – # of firms, **product** (identical / differentiated), **entry barriers**.

| STRUCTURE     | FIRMS | PRODUCT        | ENTRY    |
|---------------|-------|----------------|----------|
| Perfect comp. | many  | identical      | free     |
| Monop. comp.  | many  | differentiated | free     |
| Oligopoly     | few   | either         | barriers |
| Monopoly      | one   | unique         | blocked  |

Wheat  $\Rightarrow$  perfect comp · cafés/clothing  $\Rightarrow$  monop. comp · banks/airlines  $\Rightarrow$  oligopoly · tap water  $\Rightarrow$

### 20 · Game Theory W10-11

- Strategy** · complete plan of action
- Dominant strategy** · best regardless of rival
- Nash eq.** · each best-responds; no profitable unilateral deviation
- Best-response method** · underline each player's best reply; cell with *both* underlined = Nash

#### PRISONER'S DILEMMA

| A \ B  | COOP | DEFECT |
|--------|------|--------|
| Coop   | 3, 3 | 0, 5   |
| Defect | 5, 0 | 1, 1   |

Nash = (Defect, Defect); Defect dominant for both. **Collectively worse** than (Coop, Coop) – the core of cartel instability & free-riding.

#### SUSTAINING COOPERATION

- Repeated games:** finite known end  $\Rightarrow$  unravels by backward induction; **indefinite**  $\Rightarrow$  cooperation sustainable
- Tit-for-tat · reputation · contracts · regulation
- Public-good free-rider* is a PD: if Zheng (MB 30) produces knowledge at cost 25 he nets \$5 while Danielle free-rides for \$40  $\Rightarrow$  each waits  $\Rightarrow$  good not produced.

#### KEY DISTINCTIONS

- Dominant strategy  $\Rightarrow$  always Nash; Nash needn't be dominant
- Nash can be **Pareto-inefficient** (PD: both defect)
- Multiple Nash possible; or none in pure strategies
- Entry deterrence:** an incumbent uses limit pricing or excess capacity to threaten a price war – credible only if the commitment is costly to reverse. **First-mover advantage** appears in sequential games (solve by backward induction).

### 21 · Externalities W7

**Externality** · uncompensated 3rd-party effect  $\Rightarrow$  private  $\neq$  social.

- Neg. production: **SMC = PMC + MEC**  $\Rightarrow$  over-produce
- Pos. consumption: **SMB = PMB + MEB**  $\Rightarrow$  under-produce

**PIGOUVIAN RULE**  
tax = MEC at  $Q^*$  (neg.)  
subsidy = MEB at  $Q^*$  (pos.)  
DWL = triangle between MSC and MSB over the over/under-produced range. Other tools: cap-and-trade · regulation (cap Q) · property rights.

**MINI · LAND-CLEARING**  
 $PMB = 120 - 2Q$ ,  $PMC = 0$ ,  $MEC = 30 \Rightarrow SMC = Q + 30$   
market  $Q = 40$   $\Rightarrow$  efficient  $Q = 30$   
 $DWL = \frac{1}{2} \cdot 30 \cdot 10 = 150$  · tax = \$30

A corrective tax is most effective (big consumption cut, small price rise) when demand is **elastic**.

#### 4 TYPES · WHICH CURVE MOVES

| TYPE             | WEDGE       | MKT Q    |
|------------------|-------------|----------|
| Neg. production  | $SMC > PMC$ | too high |
| Pos. production  | $SMC < PMC$ | too low  |
| Neg. consumption | $SMB < PMB$ | too high |
| Pos. consumption | $SMB > PMB$ | too low  |

Worked (kindergarten, pos. consumption):  $PMB = 100 - 2Q$ ,  $PMC = 3Q$ ,  $SMB = 120 - 2Q \Rightarrow$  market  $Q = 20$ , efficient  $Q = 24 \Rightarrow$  optimal subsidy =  $\$20$ /child.

#### INTERNALISING THE EXTERNALITY

The fix forces the decision-maker to face the full social cost/benefit. Where the market is already efficient ( $Q^* = Q^*$ ), any intervention **lowers** welfare – only intervene where there's a genuine wedge.

### 22 · Worked · Pigouvian Tax

- ★ **Steel pollution.**  $PMB = 110 - Q$ ,  $PMC = 10 + Q$ ,  $SMC = 50 + Q$  ( $MEC = \$40$ ).
- Market:  $110 - Q = 10 + Q \Rightarrow Q = 50$ ,  $P = 60$
- Efficient:  $110 - Q = 50 + Q \Rightarrow Q = 30$ ,  $P = 80$
- DWL =  $\frac{1}{2} \cdot (50 - 30) \cdot (100 - 60) = 400$
- Pigouvian tax =  $MEC = \$40$  ( $= P_D - P_S$  at  $Q = 30$ )

**River variant:**  $D = 100 - Q$ ,  $SMC = Q + 20$ ,  $MEC = 20$ . Market  $Q = 50 \Rightarrow$  efficient  $Q = 40$ ; tax = \$20. Direct regulation: cap output at  $Q = 40$ .

**Solving recipe:** (1) market Q from  $PMB = PMC$ ; (2) efficient Q from  $SMB = SMC$ ; (3) tax =  $MEC =$  vertical gap; (4)  $DWL = \frac{1}{2} \times MEC \times (Q_{\text{mkt}} - Q_{\text{eff}})$ . Same four steps every time, neg. or pos.

**SIA  $\rightarrow$  Pigouvian tax = the per-unit external cost, set so post-tax PMC meets SMC at the efficient Q. The effectiveness of a corrective tax rises with how elastic demand is.**

### 23 · Coase Theorem COASE 1960

#### STATEMENT

Well-defined property rights + low transaction costs  $\Rightarrow$  private bargaining reaches the **efficient Q regardless of who holds the rights**. The allocation of rights affects distribution only.

**Fails when:** high transaction costs · many parties (assignment/holdout) · asymmetric info · weak enforcement. Best for small, localised externalities; global problems  $\Rightarrow$  government (e.g. EU ETS).

Polluter has the rights  $\Rightarrow$  victim pays them to abate; victim has the rights  $\Rightarrow$  polluter compensates. Same efficient Q either way – only the distribution differs.

### 24 · Public Goods & Commons W7

|           | EXCL.        | NON-EXCL.          |
|-----------|--------------|--------------------|
| Rival     | Private food | Common fish, roads |
| Non-rival | Club Netflix | Public defence     |

**Public good:** non-rival + non-excl  $\Rightarrow$  free-riding  $\Rightarrow$  market **under-provides**. Optimum:  $\Sigma MB_i = MC$  (sum WTP vertically, not  $P = MC$ ). Fund via tax; **Lindahl tax** = each pays a share in their share of total WTP.

**Commons** (rival + non-excl): *Tragedy of the commons* (*Hardin 1968*)  $\Rightarrow$  overuse. Fixes: privatise · quota · communal governance (Ostrom) · tax.

Worked · Lindahl: bridge costs \$150; WTP A \$20, B \$30, C \$50 ( $\Sigma = \$100$ ). Each pays cost  $\times$  (own WTP /  $\Sigma$  WTP). Public-good optimum sums WTP vertically because the good is non-rival – everyone consumes the same Q.

**Free-riding** is why the market under-provides: everyone hopes someone else pays, so private provision falls short of the efficient  $\Sigma MB = MC$  level. Govt provision financed by tax is the standard fix.

#### CLASSIFY ANY GOOD

Ask two yes/no questions – **excludable?** and **rival?** – and drop it into the 2x2. Uncongested public roads are non-rival (the classic "which is wrong" trap calls them rival).

### 24b · Positive externality · worked

★ Education:  $PMB = 100 - 2Q$ ,  $PMC = 3Q$ ,  $SMB = 120 - 2Q$  ( $MEB = \$20$ ). Market  $100 - 2Q = 3Q \Rightarrow Q = 20$ ; efficient  $120 - 2Q = 3Q \Rightarrow Q = 24$ . **Corrective subsidy =  $MEB = \$20$**  lifts Q to the optimum.

Negative externality  $\Rightarrow$  over-produce  $\Rightarrow$  tax; positive  $\Rightarrow$  under-produce  $\Rightarrow$  **subsidy**. The corrective amount always equals the external effect at  $Q^*$ .

### 25 · Asymmetric Info W7

**LEMONS / ADVERSE SELECTION** *Akerlof 1970*  
Pre-trade. Buyers can't verify quality  $\Rightarrow$  pay avg P  $\Rightarrow$  good-unit sellers exit  $\Rightarrow$  avg quality  $\downarrow$   $\Rightarrow$  **market unravels**. Fixes: warranties · certification · reputation · regulation.

**Moral hazard** (post-trade): insured party takes more risk when others bear the cost. Fixes: deductibles · co-pays · monitoring.

**Signalling** (informed party acts): education as a signal – credible only if the cost is lower for the high type  $\Rightarrow$  separating equilibrium. **Screening** (uninformed party offers a menu): insurance deductible-vs-premium options that make types self-select. Both are responses to the same asymmetry from opposite sides.

Risk (1-line): risk-averse  $\Rightarrow$  U concave  $\Rightarrow$  EU(gamble) < U(EV)  $\Rightarrow$  buys insurance; risk premium = EV - certainty equivalent.

### 26 · Master Diagrams · BANKABLE MARKS

- ★ S/D + tax · shade CS, PS, Gov, DWL
- ★ PC firm ·  $D = MR = P$ , MC & ATC, locate  $\pi$ /loss
- ★ Monopoly · D, MR (twice slope), MC, ATC;  $Q^*$ ,  $P^*$  off D, DWL
- ★ Externality · PMC vs SMC,  $Q_m$  vs  $Q^*$ , DWL, Pigouvian tax
- ★ Trade + tariff · domestic S/D,  $P_w$ ,  $P_w + t$ ; shade 4 areas

**Always label axes, curves & shifts; shade CS/PS/DWL.** Practise each twice, pen on paper, pre-exam.

For the monopoly & externality diagrams the slip is always the same: students locate  $Q^*$  correctly but then read the price off the wrong line. Monopoly P sits on demand above  $Q^*$ ; the efficient externality P sits where **SMB meets SMC**.

### 27 · Formula Belt